

## OVERVIEW

**Reinforcement learning** provides a rich framework for creating intelligent agents that adapt and improve through continuous interaction with the world. However, uninterpretable agent behaviour hinders the deployment of reinforcement learning at scale.

## CONTRIBUTION

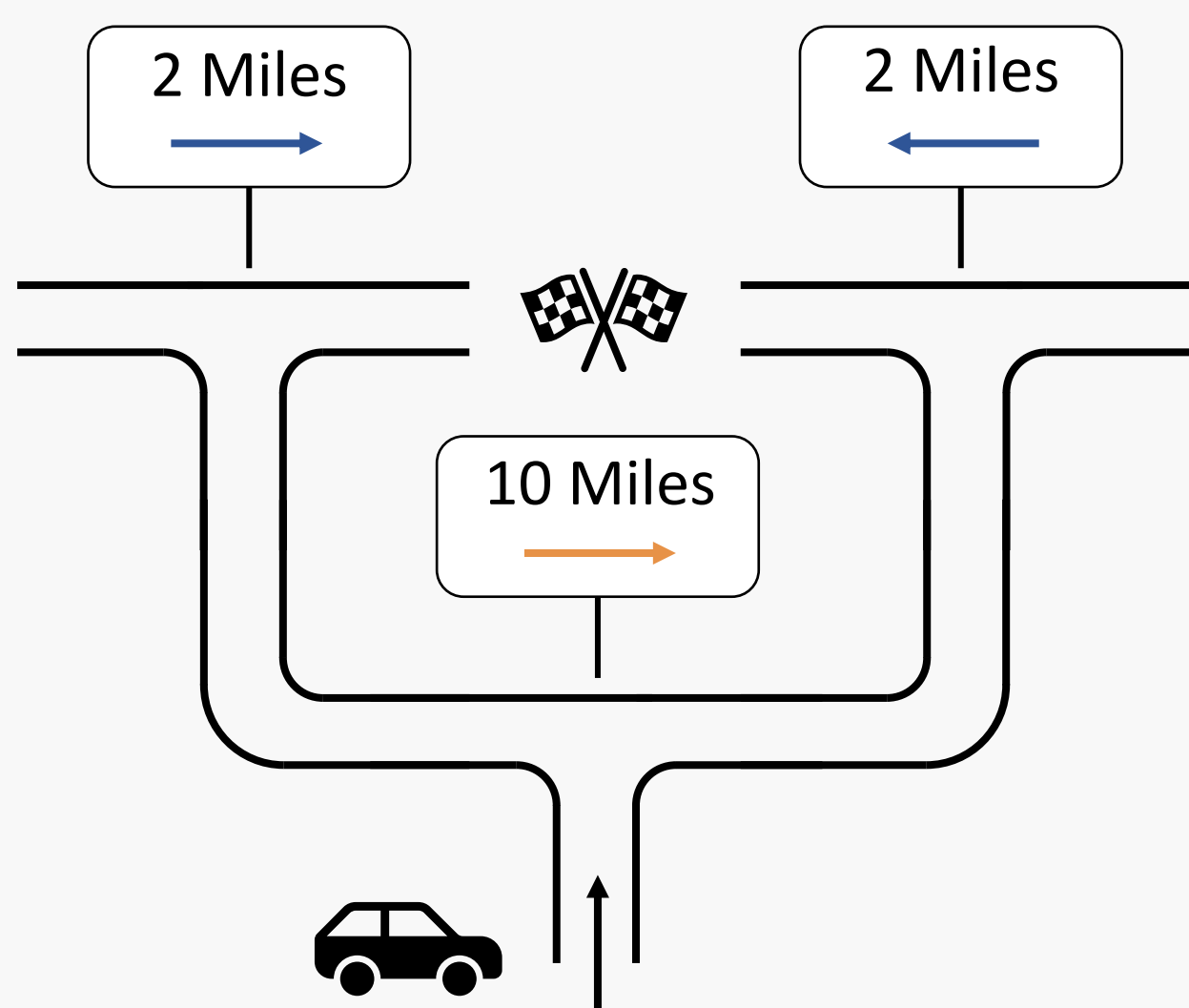
We introduce **Shapley Values for Explaining Reinforcement Learning (SVERL)**, a mathematical framework for explaining agent-environment interactions in reinforcement learning.

In simple domains, SVERL produces meaningful explanations that match human intuition. In complex domains, the explanations reveal novel insight.

## WHAT NEEDS EXPLAINING?

Certain features of an agent's observations influence different aspects of agent-environment interactions: **policy, performance and value prediction**.

**Example:** Autonomous vehicle using signs with directions and distances (features) to navigate the shortest path to a destination.



- (a) Directions influence policy.
- (b) Directions influence performance (blue arrows) but not always (orange arrow).
- (c) Distances influence value prediction but not policy or performance.

## COMPUTING FEATURE INFLUENCE

We pose this problem as a contribution assignment problem from cooperative game theory.

A **cooperative game** is a set of players  $\mathcal{F}$  and a characteristic function  $v: 2^{\mathcal{F}} \rightarrow \mathbb{R}$ .

**Contribution assignment problem:** How to assign the contribution  $\phi_i(v)$  of player  $i$  to the outcome of the game  $(\mathcal{F}, v)$ ?

**Shapley value:** 
$$\phi_i(v) = \sum_{\mathcal{C} \subseteq \mathcal{F} \setminus \{i\}} \frac{|\mathcal{C}|!(|\mathcal{F}| - |\mathcal{C}| - 1)!}{|\mathcal{F}|!} [v(\mathcal{C} \cup \{i\}) - v(\mathcal{C})]$$

Shapley values are the unique solution satisfying four axioms specifying the fair distribution of credit across players.

## SHAPLEY VALUES FOR EXPLAINING REINFORCEMENT LEARNING (SVERL)

Three cooperative games played by the values of features  $\mathcal{F}$  at state  $s$  whose outcomes are different aspects of agent-environment interactions.

### 1. EXPLAINING POLICY

**Game outcome:**  $\pi_s^a: 2^{|\mathcal{F}|} \rightarrow [0, 1]$

The probability of selecting action  $a$  at state  $s$  when only the values of features  $\mathcal{C}$  are known.

$$\pi_s^a(\mathcal{C}) \stackrel{\text{def}}{=} \mathbb{E}[\pi(S, a) | \mathcal{S}_{\mathcal{C}} = s_{\mathcal{C}}] = \sum_{s' \in \mathcal{S}} p^\pi(s' | s_{\mathcal{C}}) \pi(s', a).$$

**Shapley values:** The contribution of feature values to the probability of selecting action  $a$  in state  $s$ .

### 2. EXPLAINING PERFORMANCE

**Game outcome:**  $v_s^\pi: 2^{|\mathcal{F}|} \rightarrow \mathbb{R}$

The expected return from state  $s$  when policy  $\pi$  only knows the values of features  $\mathcal{C}$  at state  $s$ .

$$v_s^\pi(\mathcal{C}) \stackrel{\text{def}}{=} \mathbb{E}_\mu [G_t | S_t = s], \text{ where } \mu(s_t, a_t) = \begin{cases} \pi_{s_t}^a(\mathcal{C}) & \text{if } s_t = s, \\ \pi(s_t, a_t) & \text{otherwise.} \end{cases}$$

**Shapley values:** The contribution of feature values to expected return from state  $s$ .

### 3. EXPLAINING VALUE PREDICTION

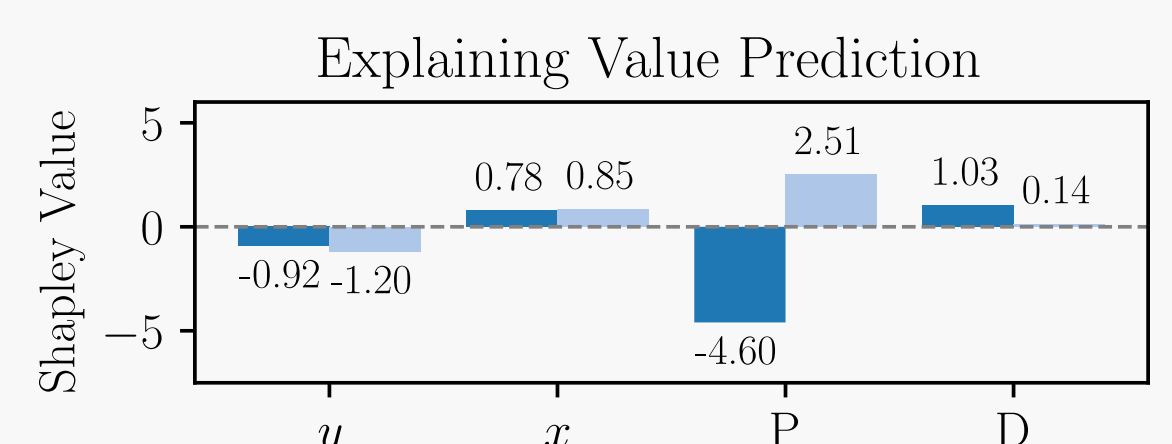
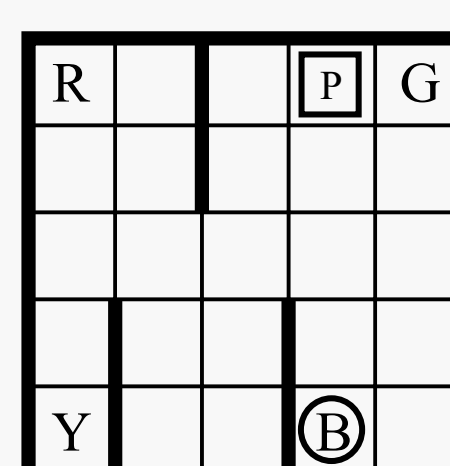
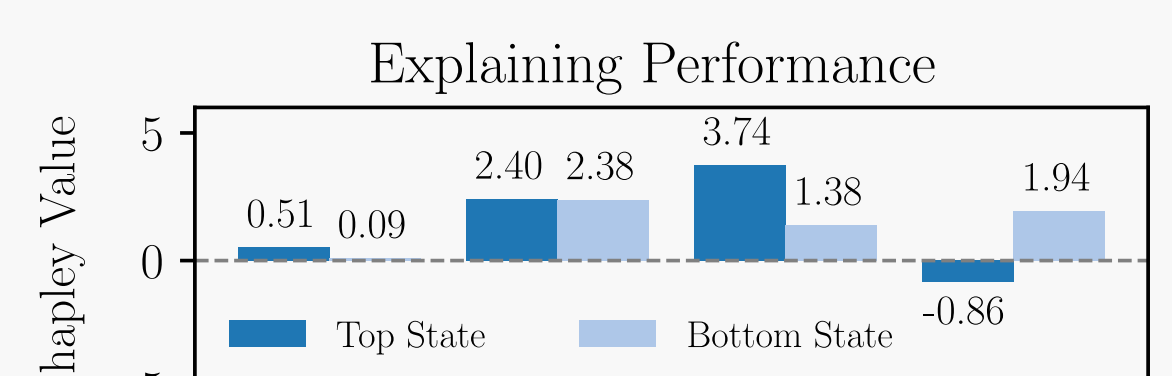
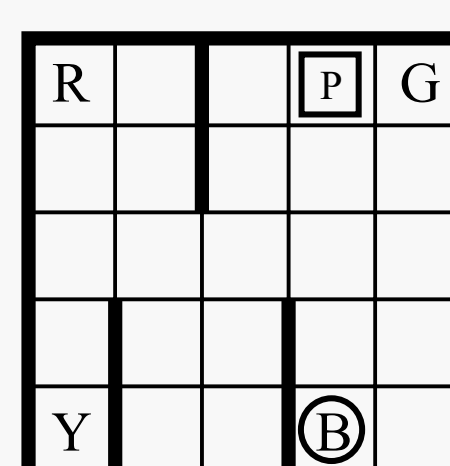
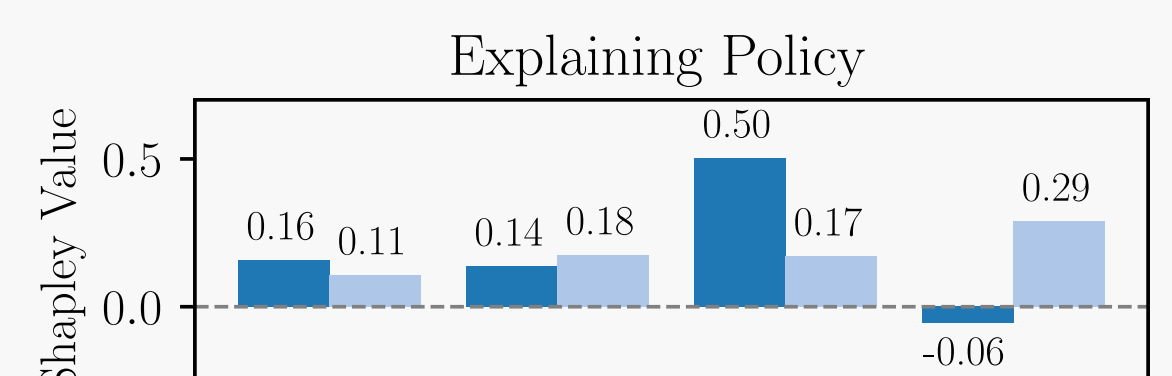
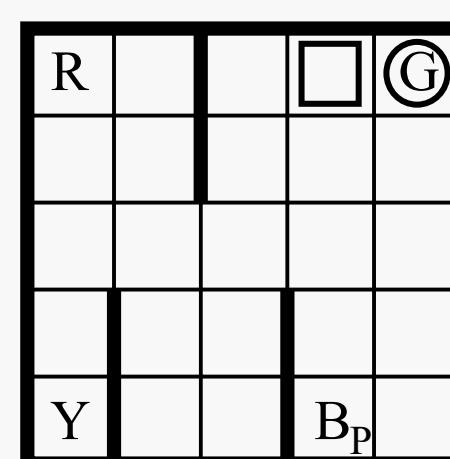
**Game outcome:**  $V_s^\pi: 2^{|\mathcal{F}|} \rightarrow \mathbb{R}$

The expected return from observation  $s_{\mathcal{C}}$  when following policy  $\pi$ .

$$V_s^\pi(\mathcal{C}) \stackrel{\text{def}}{=} \mathbb{E}[v^\pi(S) | \mathcal{S}_{\mathcal{C}} = s_{\mathcal{C}}] = \sum_{s' \in \mathcal{S}} p^\pi(s' | s_{\mathcal{C}}) v^\pi(s').$$

**Shapley values:** The contribution of feature values to predicting expected return from state  $s$ .

## EXPLAINING TAXI



**Features:** Taxi coordinates  $(x, y)$ , passenger location (P) and destination location (D).

